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Addenda & Errata

(additions in blue; corrections in red; notes in green)

- p. 12, **Def. 2.1.6.** ... substituting p_1, \dots, p_n by some **variables** $\sigma p_1, \dots, \sigma p_n$. (The objective is to introduce the *general* notation $p/\sigma p$ for substitutions.)
- p. 16, **Def. 2.2.11.** ... (e)valuation function $val_{\mathcal{I}} : F, \Sigma \longrightarrow W$...
- p. 19, **Def. 2.4.6.** ... \neg is applied only to **atoms** ...
- p. 20, **Prop. 2.4.9.5.** If x appears as a free variable in B , ...
- p. 41, **Def. 3.1.7.** ... a relation $\Vdash \subseteq 2^F \times F$ satisfying ...
- p. 156, **Prop. 5.5.18.** ... **not** uniform, and...
- p. 177, **5.7.4.** ... condition **QD**, ...
- p. 180, Remark to **Example 5.7.7.**, l. 2. ... replacing x with some Skolem **constant**,
...
- p. 291, **Def. 9.2.3.** $R \subseteq A^n$, i.e. R is a subset of $\underbrace{A \times \dots \times A}_n$. (That is, remove the subscripts in $A_1 \times \dots \times A_n$.)
- p. 293, **Def. 9.2.6.8.** $glb(B) = x$ or $inf(B) = x$
- p. 293, **Def. 9.2.8.3.** The *filter* generated by an element x in a poset \mathcal{R} is the upset $\uparrow \{x\} = \{y \in \mathcal{R} \mid y \geq x\}$.
- p. 302, **Def. 9.4.11.1.a.** $x \cup y \in A$
- p. 302, **Def. 9.4.11.2.a.** $x \cap y \in B$

Last updated: February 2018